

Chapter I. Homotopy	9
§1. Homotopy and homotopy equivalence	9
§2. Natural group structure on the sets $\pi(x, y)$	17
§3. CW complexes	23
§4. The fundamental group $\pi_1(x)$	35
§5. Covering	42
§6. Homotopy groups	49
§7. Fibrations	52
§8. Relative homotopy groups and the homotopy sequence of a fibration	62
§9. The suspension homomorphism	69
§10. Homotopy groups and CW complexes	74
Chapter II. Homology	85
§11. Singular homology	85
§12. Computation of the homology groups of CW complexes	93
§13. Homology and homotopy	100
§14. Cohomology	103
§15. Change of coefficients	105
§16. Multiplication	108
§17. Obstruction theory	111
Appendix 1. Two remarkable examples of continuous mappings	119
Appendix 2. The exact sequence of Puppe	120
Chapter III. Spectral sequences	130
§18. Filtration in a space and its spectral sequence	130
§19. The spectral sequence of a fibration	136
§20. First applications	143
§21. An addendum to the Leray theorem	149
§22. Multiplication in cohomology spectral sequences	160
§23. Killing spaces	171
§24. The ranks of the homotopy groups	173
§25. The ring $H^*(K(\pi, n); \mathbf{Z}_p)$	189
Chapter IV. Cohomology operations	200
§26. General theory	200
§27. Stable operations	204
§28. The Steenrod squares	210
§29. The Steenrod algebra	218

Chapter V. The Adams spectral sequence	231
§30. General ideas	231
§31. Some auxiliary material from algebra	236
§32. Construction of the spectral sequence	240
§33. Multiplicative structures	262
§34. Applications of the Adams spectral sequence	272
§35. Partial operations	288
Appendix 3. Postnikov's natural systems	293
Appendix 4. The J-homomorphism	294
Appendix 5. About the illustrations	301
Literature	303
Name index	307
Subject index	309